Daily Practice 14.2.2015
Q1. State the equation of the line joining $(0,-4)$ and $(2,-3)$

$$
m=\frac{-3-(-4)}{2-0}=\frac{1}{2}=0.5 \quad y=\begin{aligned}
& -4=0.5(0)+c \\
& \hline
\end{aligned}
$$

Q2. Multiply out and simplify $2(3 x-4)+4(x-8)-3$

## $6 x-8+4 x-32-3$

$10 x-43$
Q3. How much is a TV priced at $£ 360+20 \%$ VAT?
$10 \%=£ 36$
$360+72=\underline{2} 432$
$20 \%=\& 72$
Q4. Rearrange $y=a t^{2}-b$ so that $t$ is the subject $\begin{array}{ll}+b \\ y+b=a t^{2} \\ \div a & \div a\end{array} \quad y+b=t^{2}$ $t=\sqrt{\frac{y+b}{a}}$
Q5. Solve the equation $\div a \quad \frac{3}{4} x+2=26$

$$
\begin{aligned}
& -2-2 \\
& \frac{3}{4} x=24 \\
& \div \frac{3}{4} \quad \div \frac{3}{4} \\
& x=32 \\
& \hline
\end{aligned}
$$

Writing percentages as decimals $\quad 14$. $9 \cdot 15$
A percentage is a fraction over 100.

So to write a percentage as a decimal, just divide the numerator by the denominator (In this case the denominator is 100)

For example:

$$
\begin{aligned}
& 35 \%=0.35 \\
& \frac{35}{100}
\end{aligned}
$$

## Writing percentages as decimals

Write the following percentages as decimals:
(a) $29 \%$
(e) $4.5 \%$
(i) $103.2 \%$
0.29
0.045
1.032
(b) $100 \%$
1
(f) $0.23 \%$
(i) $4.05 \%$ 0.0405
(c) $5 \%$
0.0023
(g) $88.1 \%$
0.881
(k) $99.086 \%$ 0.99086

## (h) $103 \%$ <br> 1.03

(d) $2.3 \%$
0.023

Today we will be learning about percentage multipliers.

Homework Online due 22.9.15

Daily Practice
15.9.2015

Q1. Find $19 \%$ of 3000
$1 \%=3000 \div 100=30$
$19 \%=30 \times 19=570$
Q2. $458 \div 0.004$


Today we will be continuing to learn about percentage multipliers.

Percentage Multipliers
Other \% calculations can be made easier using decimals too.

Adding on or taking off a percentage.


## Percentage Multipliers

Work out the following:

1. A house that increased in value from $£ 135000$ by $7.5 \%$
2. A dress that cost $£ 60$ and was reduced in the sale by $15 \%$
3. A loan for $£ 5000$ that has an APR of $4.25 \%$ at the beginning of the next year
4. A person's salary that was $£ 28920$ p.a. and they got a payrise of $2 \%$

Examples:

1. Find the value of a TV that costs $£ 620+17.5 \%$ VAT

$$
\begin{aligned}
& 100 \%+17.5 \%=117.5 \%=1.175 \\
& 620 \times 1.175=\{728.50
\end{aligned}
$$

2. Find the value of a car that was worth $£ 12000$ and depreciated in value by $4 \% \quad 100 \%-4 \%=96 \%=0.96$ $12000 \times 0.96=£ 11520$

## Dercentage Multipliers

Work out the following:

1. A house that increased in value from $£ 135000$ by $7.5 \% \quad € 145125$
2. A dress that cost $£ 60$ and was reduced in the sale by $15 \% £ 51$
3. A loan for $£ 5000$ that has an APR of $4.25 \%$ at the beginning of the next year
$\ldots 5212.50$
4. A person's salary that was $£ 28920$ p.a. and they got a payrise of $2 \%$
5. A carton of milk cost $£ 1.21$ and increased in line with inflation by
$1.3 \%$. How much does it cost now? $£ 1 \cdot 23$
6. $£ 845900-2.44 \% \quad £ 825260 \cdot 04$
$500 \times 1.02=510 \times 1.02$

$$
510 \times 1.02^{5}
$$

Today we will be learning to use percentage multipliers to work out long term effects.

DAILY PRACTICE
16.9.2015

Q1. $1 \frac{3}{5}-\frac{2}{7}=\underset{\text { LCM }=35}{\frac{8}{5}-\frac{2}{7}=\frac{58}{35}-\frac{10}{35}=\frac{46}{35}=1 \frac{11}{35}}$
Q2. Evaulate $3 a^{2} b-2 b$ when $a=4$ and $b=-3$

$$
\begin{array}{cc}
3\left(4^{2}\right)(-3)-2(-3) & 48(-3)+6 \\
3 \times 16 \times-3+6 & -144+6=-138
\end{array}
$$

Q3. Two bottles are similar in size, the diameter of the smaller bottle
is 6 cm and its volume is 250 ml . If the diameter of the larger bottle is 8 cm , what is its volume? ES $f=8 \div 6=1.3$

$$
\text { V.S. } f=(1.3)^{3} \quad \text { Volume }=250 \times(1 . \dot{j})^{3}=592.6 \mathrm{~mL}
$$

Q4. Find $54.5 \%$ of 281 (Give answer to 2 s.f.)

$$
\begin{aligned}
0.545 \times 281= & f 153.15 \\
& \rightarrow f 150(2 \mathrm{~s} . f)
\end{aligned}
$$

$16 \cdot 9 \cdot 15$
Percentage multipliers can then be used to work out long term values provided that the percentage increase/decrease stays the same.

Examples:


1. John has $£ 10500$ in his ISA, it has an interest rate of $2.5 \%$ p.a. provided he does not withdraw any money for 3 years. How much is there in John's ISA at the end of 3 years?
$100 \%+2.5 \%=102.5 \%=1.025$

$$
\begin{aligned}
& 10500 \times 1.025^{3}=f 11307.35 \\
& \text { Interest earned }=£ 807.35
\end{aligned}
$$

## DEFINITION OF 'COMPOUNDING'

The ability of an asset to generate earnings, which are then reinvested in order to generate
heir own earnings. In other words, compounding refers to generating earnings from previous earnings.

Percentage Multipliers
http://www.knightswoodsecondary.org.uk/personal/Resources/Hillhead/ Credit_Worksheets/AppreciationAndDepreciation.pdf

## Daily Practice

Q1. Calculate the current value of a car that was worth $£ 4000$ and depreciated by $3 \%$ p.a. for 3 years
$100 \%-3 \%=97 \%=0.97 \quad 4000 \times 0.97^{3}=f \underline{f} \underline{350.69}$
Q2. $48.8 \div 4000$
$48.8 \div 1000=0.0488 \quad 0.0122$
Q3. Factorise fully $3 x^{2} a+15 x b+12 x$
$3 x(x a+5 b+4)$
Q4. $1 \frac{1}{9} \times \frac{3}{4}=\frac{10}{9} \times \frac{3}{4}=\frac{30}{36}=\frac{5}{6}$
Q5. Solve $7 x-3=4 x+27$
$-4 x-4 x$
$3 x-3=27$
$+3+3$ $3 x=30$
$\div 3 \quad \div 3$
$x=10$

DVD in the sak $f 12.98$
marked $20 \%$ off

| Orighal Price? |  |
| :---: | :---: |
|  | $\begin{aligned} & f 12.98=80 \% \\ & f 1.62=10 \% \end{aligned}$ |
|  | 3.25 |
| $12.98=80 \%$ | $3.25+12.98$ |
| f16.23 $=100$ |  |

Percentages working backwards $\quad 18.9 .15$
Given the new amount with a percentage increase/decrease, this means finding the original amount.

Always let the original amount $=100 \%$ (or 1 in decimal form)

Percentages working backwards
Examples:

1. Find the original size of a box of cereal that is marked $20 \%$ extra free and now contains 600 grams

$$
\begin{aligned}
120 \% & =600 \mathrm{~g} \\
1 \% & =600 \div 120=5 \mathrm{~g} \\
100 \% & =5 \times 100=500 \mathrm{~g}
\end{aligned}
$$

2. Calculate the original cost of a painting that is priced $£ 76.50$ in the sale with $15 \%$ marked off

$$
\begin{aligned}
& 85 \%=£ 76.50 \\
& 1 \%=£ 7650 \div 85=0.9 \\
& 100 \%=0.9 \times 100=f 90
\end{aligned}
$$



## Percentages

## Percentages working backwards

Task: Make up a question on percentages working backwards

Write down the solution.

Every time someone sits beside you, show them the question and work out theirs. Then check solutions and move on.

1. Between the years 2001 and 2002 a stereo system increased in value by $20 \%$. If the stereo cost $£ 660$ in 2002 what was its value in 2001 ?
2. The price of a car has increased in value by $30 \%$. If the car is now valued at $£ 7800$ what was its previous value?
3. John is 136 cm tall. If John is $85 \%$ of the height of David, find David's height.
4. A student pays an aeroplane fare of $£ 240$. If this represents $60 \%$ of the adult fare, find the adult fare.
5. The cost of a season ticket for Hillside Town is $£ 273$ for a child. If this represents $65 \%$ of the cost of an adult ticket, find the cost of an adult season ticket.
6. Amanda and Roomila decide to see who can cycle further over an hour Amanda covers 6 kilometres which is $80 \%$ of the distance covered by Roomila. How far did Roomila cycle?
7. In a maths examination Michael scored $75 \%$ of what Brian scored. If Michael scored $66 \%$ what did Brian score?

## Daily Practice

22.9.2015

Q1. calculate the area of a quarter circle with a radius of 7 cm
$A=\frac{\pi r^{2}}{4}=\frac{\pi \times 7^{2}}{4}=\frac{153.94}{4}=38.48 \mathrm{~cm}^{2}$
Q2. Multiply out and simplify $7(2 x-1)-3 x+4$ $14 x-7-3 x+4$
$\mathrm{Lx}-3$
Q3. Factorise $3 x^{2}-15 x$

## $3 x(x-5)$

Q4. Calculate the value of a car thatw as worth $£ 6000$ and depreciated
by $6 \%$ per annum for 3 years $6000 \times 0.94^{3}=f 4983.50$
Q5. $2 \frac{2}{3} \div \frac{4}{5}=\frac{8}{3} \div \frac{4}{5}$
$=\frac{8}{3} \times \frac{5}{4}=\frac{40}{12}=\frac{10}{3}=3 \frac{1}{3}$

Q1. Without the use of a calculator, work out the following:


Q2. Gary bought a car for $£ 4000$, it depreciated in value by $8 \%$
within a year. How much is it worth at the end of the year?

## $4000 \times 0.92=£ 3680$

(2)


Q3. Andy put $£ 8000$ in the bank at $3.7 \%$ interest compounded annually for 4 years. How much was in his account at the end of the 4 years?

$$
8000 \times 1.037^{4^{5}}=\frac{£ 9251.35}{}
$$

(3)

Q5. If the population of the world is approximately 7300000000 (7.3 billion) and the world population growth rate is around $1.13 \%$ p.a., what will the world population be in 2018?
$7300000000 \times 1.0113^{3}$
7,550,276,944

Q7. A jar of coffee contains 600 grams. It is marked $33^{\frac{1}{3}} \%$ extra free. What weight was the coffee originally?

$$
\begin{aligned}
133 \frac{1}{3} \% & =600 \mathrm{~g} \Omega \\
1 \% & =4.5 \mathrm{~g} \Omega \\
100 \% & =450 \mathrm{grams}
\end{aligned}
$$

$\div 133 \frac{1}{3} \times 100$

Q8. A new book "Maths is Fun" was published in 2006 . There were 3000 sales of the book during that year.
Sales rose by $11 \%$ in 2007 then fell by $10 \%$ in 2008.
Were the sales in 2008 more or less than the sales in 2006? You must give a reason for your answer.
You must give a reason for your answer.

$$
00 \%+11 \%=111 \%
$$

$20073000 \times 1 \cdot 111=33300100 \%+11 \%=11 / \% 1.11$
$20083330 \times 0.9=\frac{2997}{V} \quad 100 \%-10 \%=90 \%=0.9$
Less sales in 2008 then 2006 by 3

## (5)

Q9. A camera in the sale is $20 \%$ off and now costs $£ 109$. How much did it cost originally?

$$
\begin{aligned}
80 \% & =f 109 \sqrt{\prime} \\
1 \% & =f 109 \div 80=1.3625 \\
100 \% & =1.36 \times 100=f 136.25
\end{aligned}
$$

